

geometry test on circle area and circumference Workbook

Geometry Test on Circle Area and Circumference

Understanding the properties of circles is fundamental in geometry, and mastering the concepts of circle area and circumference is essential for students aiming to excel in mathematics. This article provides a comprehensive guide to preparing for geometry tests focused on circles, including key formulas, problem-solving strategies, practice questions, and tips to improve your understanding of circle area and circumference.

Introduction to Circles in Geometry

A circle is a set of all points in a plane that are at a fixed distance (radius) from a fixed point (center). Circles are ubiquitous in mathematics, engineering, architecture, and nature. Recognizing their properties and formulas is crucial for solving various geometric problems.

Key Components of a Circle:

- Center (O): The fixed point equidistant from all points on the circle.
- Radius (r): The distance from the center to any point on the circle.
- Diameter (d): The longest distance across the circle passing through the center, equal to 2 times the radius.
- Circumference (C): The distance around the circle.
- Area (A): The space enclosed within the circle.

Fundamental Formulas for Circles

To succeed in a geometry test involving circles, you must memorize and understand the core formulas related to the circle's area and circumference.

1. Circumference of a Circle

The circumference (C) measures the perimeter of the circle:

- Formula: $C = 2\pi r$

- Alternatively: $C = \pi d$
- Where:
- π (pi) ≈ 3.1416
- r = radius
- d = diameter

2. Area of a Circle

The area (A) describes the surface covered by the circle:

- Formula: $A = \pi r^2$
- Where:
- r = radius

Note: All calculations should be done with consistent units, and the value of π can be approximated as needed.

Understanding and Applying the Formulas

To prepare for your geometry test, it's important to understand how to manipulate and apply these formulas in different scenarios.

Calculating Circumference

- Given the radius, multiply by 2π .
- Given the diameter, multiply by π .
- Example: If $r = 7$ cm, then $C = 2 \times 3.1416 \times 7 \approx 43.96$ cm.

Calculating Area

- Square the radius and multiply by π .
- Example: If $r = 4$ m, then $A = 3.1416 \times 4^2 = 3.1416 \times 16 \approx 50.27$ m².

Relating Radius, Diameter, Circumference, and Area

Understanding how these components relate helps solve complex problems:

- $d = 2r$
- $C = \pi d$
- $A = \pi r^2$

Sample Geometry Test Questions on Circle Area and Circumference

Practicing with sample questions is one of the best ways to prepare for your test. Below are examples categorized by difficulty.

Basic Questions

- Find the circumference of a circle with a radius of 3 cm.
- Calculate the area of a circle with a diameter of 10 meters.
- A circle has a circumference of 31.4 cm. Find the radius.

Intermediate Questions

- The area of a circle is 78.5 square meters. Find its radius.
- A circle has a radius of 5 inches. What is its circumference?
- If the diameter of a circle is increased by 4 units, how does the circumference change?

Advanced Questions

- A circular garden has an area of 154 square meters. Find the radius and the circumference of the garden.
- The circumference of a circle is 62.8 meters. Find the diameter and the area of the circle.
- A wheel with radius 0.5 meters rolls a distance equal to its circumference. How many complete rotations does it make over a distance of 62.8 meters?

Step-by-Step Problem-Solving Strategies

When approaching geometry questions on circles, following a structured method can help improve accuracy and efficiency.

1. Identify Known and Unknown Variables

- Read the problem carefully.

- Note down given measurements (radius, diameter, circumference, area).
- Decide which formula to use based on what you need to find.

2. Sketch the Diagram

- Drawing a circle with labeled parts helps visualize the problem.
- Mark known values and what you need to find.

3. Select the Appropriate Formula

- Use $C = 2\pi r$ when the radius is known or needed.
- Use $A = \pi r^2$ when calculating the area.
- Use $d = 2r$ when the diameter is involved.

4. Perform Calculations Step-by-Step

- Plug in known values carefully.
- Keep track of units.
- Use a calculator for precise results, especially with π .

5. Verify the Reasonableness of Your Answer

- Cross-check with estimates.
- Ensure units are consistent.
- Confirm whether the answer makes sense in the context of the problem.

Practice Problems with Solutions

To reinforce your understanding, here are some practice problems with detailed solutions.

Problem 1:

A circle has a radius of 9 meters. Find its area and circumference.

Solution:

- Circumference: $C = 2\pi r = 2 \times 3.1416 \times 9 \approx 56.55$ meters.
- Area: $A = \pi r^2 = 3.1416 \times 9^2 = 3.1416 \times 81 \approx 254.47$ square meters.

Problem 2:

The diameter of a circle is 14 centimeters. Calculate its radius, area, and circumference.

Solution:

- Radius: $r = d/2 = 14/2 = 7$ cm.
- Circumference: $C = 2\pi r = 2 \times 3.1416 \times 7 \approx 43.96$ cm.
- Area: $A = \pi r^2 = 3.1416 \times 7^2 = 3.1416 \times 49 \approx 153.94$ cm².

Problem 3:

A circular swimming pool has an area of 314 square meters. What is the radius and the circumference?

Solution:

- Find radius: $r = \sqrt{A/\pi} = \sqrt{314/3.1416} \approx \sqrt{100} \approx 10$ meters.
- Circumference: $C = 2\pi r \approx 2 \times 3.1416 \times 10 \approx 62.83$ meters.

Tips for Excelling in Geometry Tests on Circles

- Memorize Key Formulas: Consistent recall of formulas is crucial.
- Practice Regularly: Solve a variety of problems to build confidence.
- Understand Concepts: Don't just memorize—understand how formulas relate to the circle's properties.
- Use Diagrams: Visual aids help clarify complex problems.
- Check Units and Calculations: Always verify your units and double-check calculations for accuracy.
- Manage Your Time: Allocate time appropriately during the test to avoid rushing.

Additional Resources for Study

- Online Interactive Geometry Tools: Use platforms like GeoGebra for visual learning.

- Practice Worksheets: Find worksheets focusing on circle area and circumference.
- Video Tutorials: Watch videos explaining circle properties and problem-solving techniques.
- Study Groups: Collaborate with peers to discuss difficult problems.

Conclusion

Mastering the concepts of circle area and circumference is vital for success in geometry tests. Focus on understanding the core formulas, practicing a variety of problems, and employing strategic problem-solving techniques. With diligent study and consistent practice, you'll confidently tackle any question related to circles, ensuring excellent performance in your upcoming geometry assessments. Remember, a strong foundation in these fundamental properties opens the door to more advanced topics in geometry and mathematics as a whole.

Understanding the Fundamentals of Geometry Test on Circle Area and Circumference

When preparing for a geometry test focused on circle area and circumference, it's essential to grasp the fundamental concepts, formulas, and problem-solving strategies that underpin these topics. These areas are core components of circle geometry, and mastery of them can significantly boost your confidence and performance on exams. This comprehensive guide aims to break down the essential principles, provide step-by-step methods for solving typical problems, and offer useful tips to excel in your assessment.

The Significance of Circle Geometry in Mathematics Tests

Circle geometry appears frequently in standardized tests, classroom assessments, and competitive exams. Questions may range from simple recall of formulas to more complex application problems requiring critical thinking. A solid understanding of circle area and circumference not only helps in answering these questions efficiently but also reinforces your overall grasp of geometric concepts.

Fundamental Concepts and Definitions

Before diving into formulas and problem-solving techniques, it's crucial to understand some key definitions related to circles:

What is a Circle?

A circle is a set of all points in a plane that are equidistant from a fixed point known as the center. The fixed distance from the center to any point on the circle is called the radius.

Key Parts of a Circle:

- Radius (r): The distance from the center to any point on the circle.
- Diameter (d): The longest distance across the circle passing through the center; $d = 2r$.
- Circumference (C): The perimeter or boundary length of the circle.
- Area (A): The space enclosed within the circle.

Core Formulas for Circle Area and Circumference

Mastering the following formulas is essential for solving most problems related to circle geometry:

Circumference of a Circle:

$$C = 2\pi r$$

or equivalently,

$$C = \pi d$$

where:

- r = radius
- d = diameter
- $\pi \approx 3.1416$

Area of a Circle:

$$A = \pi r^2$$

Step-by-Step Approach to Solving Circle Problems

When tackling a geometry test question involving circle area or circumference, follow this structured approach:

- Carefully Read the Question

Identify what is being asked:

- Is the problem asking for the area or the circumference?
- Are you given the radius, diameter, or other measurements?

- Are there additional figures or constraints?

- Extract the Known Data

Write down the given information:

- Known measurements (radius, diameter, or other relevant data)
- Relevant angles or segments if provided

- Choose the Appropriate Formula

Based on what the question asks, select the correct formula:

- For circumference: use $C = 2\pi r$ or $C = \pi d$
- For area: use $A = \pi r^2$

- Plug in the Known Values

Substitute the known measurements into the formula:

- Be cautious with units and conversions
- Use approximate value of π or a symbol, depending on the context

- Simplify and Calculate

Perform the calculations carefully:

- Use a calculator for more precise results
- Keep track of significant figures and rounding rules

- Interpret the Result

Ensure your answer makes sense:

- For example, the area should be positive
- Check whether the answer aligns with the context (e.g., a very large or very small value might indicate an error)

Common Types of Problems and Solutions

Below are typical problem formats you might encounter, along with strategies for solving them.

Problem Type 1: Find the Circumference Given the Radius

Example: The radius of a circle is 7 cm. Find its circumference.

Solution:

- Use $C = 2\pi r$
- $C = 2 \times 3.1416 \times 7$
- $C \approx 43.98$ cm

Problem Type 2: Find the Area Given the Diameter

Example: The diameter of a circle is 10 meters. Find its area.

Solution:

- First, find the radius: $r = d/2 = 5$ m
- Use $A = \pi r^2$
- $A = 3.1416 \times 5^2 = 3.1416 \times 25$
- $A \approx 78.54$ m²

Problem Type 3: Find the Radius from the Circumference

Example: The circumference of a circle is 31.4 meters. Find the radius.

Solution:

- Use $r = C / (2\pi)$
- $r = 31.4 / (2 \times 3.1416) \approx 5$ m

Problem Type 4: Word Problems Involving Both Area and Circumference

Example: A circular garden has a circumference of 31.4 meters. What is the area of the garden?

Solution:

- Find radius: $r = C / (2\pi) = 31.4 / (6.2832) \approx 5$ m
- Find area: $A = \pi r^2 = 3.1416 \times 25 \approx 78.54$ m²

Tips for Success in a Circle Geometry Test

- Memorize key formulas: Quick recall saves time.
- Use approximate values of π : For most calculations, 3.14 or 3.1416 is sufficient.
- Practice conversions: Sometimes you need to switch between diameter, radius, and circumference.
- Draw diagrams: Visual aids help clarify the problem.
- Check units: Ensure consistency throughout calculations.
- Estimate your answers: A rough estimate can help identify potential errors.
- Review related concepts: Chords, arcs, sectors, and segments often appear in layered problems.

Advanced Topics and Application Problems

For higher-level tests, you may encounter problems involving:

- Segments and sectors of circles: Calculating areas of parts of circles.
- Tangent and secant lines: Their properties and how they relate to circle measurements.
- Coordinate geometry: Finding circle equations from given points and calculating areas or perimeters.

Mastering the basic concepts of circle area and circumference provides a foundation for tackling these more complex problems.

Final Thoughts

A thorough understanding of the geometry test on circle area and circumference hinges on familiarity with core formulas, understanding the properties of circles, and practicing problem-solving techniques. By following a systematic approach—reading carefully, extracting data, choosing the right formulas, and double-checking your work—you'll be well-equipped to excel in your assessment.

Remember, consistent practice and visualization are key. Use diagrams to understand problems better, and don't hesitate to revisit fundamental concepts whenever needed. With dedication and strategic preparation, you'll confidently navigate any circle-related question that comes your way in your geometry test.

Question How do you find the area of a circle if the radius is given? Use the formula $\text{area} = \pi \times \text{radius}^2$. Simply square the radius and multiply by π (approximately 3.1416). What is the formula for the circumference of a circle? $\text{Circumference} = 2 \times \pi \times \text{radius}$ or $\pi \times \text{diameter}$. If the diameter of a circle is 10 cm, what is its area? First, find the radius ($\text{diameter}/2 = 5 \text{ cm}$), then use $\text{area} = \pi \times \text{radius}^2 = 3.1416 \times 5^2 = 78.54 \text{ cm}^2$. How is the circumference related to the diameter of a circle? $\text{Circumference} = \pi \times \text{diameter}$, showing a direct proportional relationship. A circle has a circumference of 31.4 cm. What is its radius? Use $\text{radius} = \text{circumference} / (2 \times \pi)$. So, $\text{radius} = 31.4 / (2 \times 3.1416) \approx 5 \text{ cm}$. How do you solve for the radius if you know the area of a circle? Rearranged from $\text{area} = \pi \times \text{radius}^2$, $\text{radius} = \sqrt{(\text{area} / \pi)}$. What is the difference between the area and the circumference of a circle? The area measures the space inside the circle, while the circumference measures the length around the circle. Can the formulas for area and circumference be used for any circle? Yes, as long as the radius or diameter is known, these formulas are applicable to all circles. If the circumference of a circle is 50 cm, what is its area? First, find the radius: $\text{radius} = \text{circumference} / (2 \times \pi) = 50 / 6.2832 \approx 7.96 \text{ cm}$. Then, $\text{area} = \pi \times \text{radius}^2 \approx 3.1416 \times 7.96^2 \approx 199.5 \text{ cm}^2$. Why is π important in calculating the area and circumference of a circle? π is a constant that relates a circle's diameter, radius, area, and circumference, making it essential for accurate calculations.

Related keywords: circle area, circle circumference, geometry quiz, circle formulas, radius, diameter, pi, circle calculation, geometry problems, circle measurements

GEOMETRY REVIEW SHEET CIRCLE VOCABULARY CENTRAL AND

geometry review sheet circle vocabulary central and understanding the fundamental concepts and vocabulary related to circles is essential for mastering geometry. Circles are one of the most intriguing shapes in mathematics, characterized by their perfect symmetry and unique properties. Whether you're a student preparing for an exam, a teacher designing lesson plans, or a math enthusiast looking to deepen your knowledge, a solid grasp of circle-related vocabulary is crucial. This review sheet aims to clarify key terms and concepts associated with circles, focusing on the

central ideas and their applications in geometry.

Fundamental Circle Vocabulary

Understanding the basic vocabulary related to circles forms the foundation for more advanced topics. Here are some of the most important terms to know:

Circle

A circle is a set of all points in a plane that are equidistant from a fixed point called the center. The distance from the center to any point on the circle is called the radius.

Center

The fixed point inside the circle from which all points on the circle are equally distant. The center is often labeled as O.

Radius

A line segment connecting the center of the circle to any point on the circle. All radii in a circle are equal in length.

Diameter

A line segment passing through the center and connecting two points on the circle. It is twice as long as the radius: $D = 2r$.

Chord

A line segment with both endpoints on the circle. A diameter is a special type of chord.

Arc

A portion of the circumference of a circle. Arcs are named by their endpoints, for example, AB.

Sector

A region bounded by two radii and an arc, resembling a "slice" of the circle.

Segment

A region bounded by a chord and the corresponding arc.

Circumference

The distance around the circle. It can be calculated using the formula: $C = 2\pi r$ or $C = \pi d$.

Key Properties and Relationships

Understanding the properties and relationships between the various parts of a circle allows for problem-solving and geometric proofs.

Central and Inscribed Angles

- Central Angle: An angle whose vertex is at the center of the circle and whose sides intersect the circle. The measure of a central angle is equal to the measure of its intercepted arc.
- Inscribed Angle: An angle whose vertex is on the circle and whose sides intersect the circle. The measure of an inscribed angle is half the measure of its intercepted arc.

Arc Measures

- The measure of an arc is proportional to the central angle that intercepts it.
- For a full circle, the sum of the measures of all arcs equals 360° .

Relationship Between Chords, Secants, and Tangents

- Chord: A segment with both endpoints on the circle.
- Secant: A line that intersects the circle at two points.
- Tangent: A line that touches the circle at exactly one point, called the point of tangency.

Special Lines in Circles

Certain lines have specific properties that are vital in circle geometry.

Tangent Line

A line that touches the circle at exactly one point. The tangent is perpendicular to the radius drawn to the point of tangency.

Secant Line

A line that intersects the circle at two points, creating intersecting chords or segments.

Chord and Diameter Relationships

- The diameter bisects chords that are perpendicular to it.
- The longest chord in a circle is the diameter.

Important Theorems and Formulas

Familiarity with key theorems helps in solving complex problems involving circles.

Thales' Theorem

If A, B, and C are points on a circle where AC is a diameter, then the angle ABC is a right angle.

Chord Distance Formula

The perpendicular distance from the center to a chord can be found using:

$$d = \sqrt{r^2 - \left(\frac{c}{2}\right)^2}$$

where d is the distance from the center, r is the radius, and c is the length of the chord.

Area of a Sector

The area of a sector with central angle θ (in degrees) is:

$$\text{Area} = \frac{\theta}{360^\circ} \times \pi r^2$$

Arc Length Formula

The length of an arc with central angle θ is:

$$\text{Arc Length} = \frac{\theta}{360^\circ} \times 2\pi r$$

Applications and Problem-Solving Strategies

Applying these vocabulary terms and properties allows for effective problem-solving in various

contexts.

Identifying Key Components

When presented with a circle problem, first identify:

- The center
- The radii
- Any chords, secants, or tangents
- The angles involved

Using Theorems to Find Unknowns

Apply theorems such as:

- Central and inscribed angle relationships
- Thales' theorem
- Properties of tangents and radii

Calculating Lengths and Areas

Use the relevant formulas for circumference, area of sectors, and arc lengths based on given measurements.

Practice Problems for Reinforcement

To solidify understanding, here are some practice problems:

- Find the length of an arc if the central angle measures 60° in a circle with radius 10 units.
- Given a circle with diameter 14 cm, find the circumference and the area.
- In a circle, if an inscribed angle intercepts an arc of 80° , what is the measure of the inscribed angle?
- Determine the length of a chord if the distance from the center to the chord is 5 units, and the radius of the circle is 13 units.
- Prove that the tangent to a circle is perpendicular to the radius at the point of tangency.

Conclusion

Mastering the vocabulary associated with circles is a vital step in understanding and solving geometry problems. From basic components like the radius and diameter to more complex concepts like central and inscribed angles, a comprehensive grasp of these terms provides clarity and confidence. Regular practice, coupled with an understanding of the key theorems and formulas, will enhance your ability to analyze and solve a wide array of circle-related problems. Remember, the beauty of circle geometry lies in its symmetry and the elegant relationships between its parts?knowing the vocabulary unlocks the door to appreciating its full mathematical elegance.

Geometry Review Sheet Circle Vocabulary Central and

Understanding the fundamental vocabulary related to circles is essential for mastering geometry concepts. The terms surrounding circles?such as radii, diameters, chords, tangents, sectors, and arcs?form the building blocks of more complex geometric reasoning. In this review, we will explore the key vocabulary associated with circles, with a focus on the central concepts that underpin circle geometry, providing clarity and insight into their definitions, properties, and interrelationships.

Introduction to Circle Geometry Vocabulary

Circles are one of the most fundamental shapes in geometry, characterized by a set of points equidistant from a fixed point called the center. To describe and analyze circles effectively, mathematicians have developed a precise vocabulary. These terms help describe the relationships between different parts of a circle and are vital for solving problems related to area, circumference, angles, and more.

Key Terms and Definitions

Understanding the vocabulary associated with circles begins with familiarizing oneself with the core components. Here are the most essential terms:

Center

- The fixed point inside a circle from which every point on the circle is equidistant.
- Denoted as point O or C in diagrams.

Radius

- A segment drawn from the center of the circle to any point on the circle.
- All radii in a circle are equal in length.
- Commonly denoted as r .

Diameter

- A chord that passes through the center of the circle.
- The longest chord in the circle.
- Equals twice the radius ($d = 2r$).
- Denoted as d .

Chord

- A segment with both endpoints on the circle.
- Does not necessarily pass through the center.
- Examples include minor and major chords, depending on their length relative to the circle.

Secant

- A line that intersects the circle at two points.
- Extends infinitely in both directions.

Tangent

- A line that touches the circle at exactly one point.
- The point of contact is called the point of tangency.

Arc

- A portion of the circle's circumference.
- Defined by two endpoints on the circle.
- Can be classified as a minor arc (less than 180°) or a major arc (more than 180°).

Central Angle

- An angle whose vertex is at the center of the circle, with sides intersecting the circle.
- Measures the degree of the arc it intercepts.

Inscribed Angle

- An angle with its vertex on the circle and sides intersecting the circle.
- The intercepted arc is opposite the angle.

Sector

- A "slice" of the circle, formed by two radii and the connecting arc.
- Similar to a wedge-shaped region.

Segment

- A region bounded by a chord and the arc it subtends.
- Can be thought of as a "slice" of the circle, excluding the central angle.

Deep Dive into Circle Vocabulary: Properties and Relationships

Understanding how these components relate is crucial for geometric proofs and problem-solving.

The Relationship between Radius, Diameter, and Circumference

- The radius (r) is fundamental; all radii are equal.
- The diameter (d) is twice the radius: $d = 2r$.
- The circumference (C) of a circle is calculated as $C = 2\pi r$, or πd .

Chords and Their Properties

- Perpendicular bisectors: The perpendicular bisector of a chord passes through the circle's center.
- Equal chords: Chords equidistant from the center are equal in length.
- Longest chord: The diameter is the longest chord.

Angles in Circles

- Central angles: Measure the intercepted arc directly; an angle at the center.
- Inscribed angles: Measure half the intercepted arc; important in proving circle theorems.
- Angles formed by tangents and chords: The measure of such an angle equals half the measure of the intercepted arc.

Arcs and Their Measures

- The measure of a minor arc equals the measure of its central angle.
- The measure of a major arc is greater than 180° .
- The measure of a semicircular arc (half the circle) is 180° .

Sectors and Segments

- The area of a sector is proportional to its central angle: $\text{Area} = \frac{\theta}{360^\circ} \times \pi r^2$.
- A segment's area can be found by subtracting the area of the triangle formed by the radii from the sector's area.

Special Lines and Their Significance

Certain lines and points are crucial for understanding circle properties.

Tangent Lines

- Touch the circle at only one point.
- Are perpendicular to the radius at the point of tangency.
- Play a key role in circle theorems, such as the tangent-chord theorem.

Secants and External Points

- When a secant line passes outside the circle, it forms two segments with the circle.
- The power of a point theorem relates secants and tangents intersecting outside the circle.

Points of Tangency and Contact

- The unique point where a tangent touches the circle.
- The basis for many angle and length theorems involving tangents.

Common Theorems and Their Vocabulary Connections

The vocabulary is often used to state and prove fundamental circle theorems:

- Theorem 1: The measure of an inscribed angle is half the measure of its intercepted arc.
- Theorem 2: Tangent line perpendicular to the radius at point of tangency.
- Theorem 3: Chords equidistant from the center are equal in length.
- Theorem 4: The angles between a tangent and a chord are equal to the inscribed angles subtended by the same arc.

Practical Applications and Problem-Solving Strategies

When approaching circle problems, correctly identifying and utilizing the vocabulary terms can streamline reasoning:

- Recognize whether a line is a tangent, secant, or chord.
- Identify central and inscribed angles and their intercepted arcs.
- Use properties of equal chords and radii to find unknown lengths.
- Apply sector and segment formulas when calculating areas.
- Leverage the relationships between angles and arcs to set up equations.

Mastering the vocabulary of circle geometry is indispensable for students and enthusiasts aiming to deepen their understanding of this fundamental shape. By internalizing terms like radius, diameter, chord, tangent, arc, sector, and their related properties, learners can unlock a wealth of geometric truths and solve complex problems with confidence. As with any mathematical domain, language shapes understanding?so developing a robust "circle vocabulary" lays a solid foundation for future explorations in geometry and beyond.

Remember: Visual diagrams are invaluable. Always accompany these terms with sketches to enhance comprehension and retention. Whether you're reviewing for a test or exploring advanced topics, a strong grasp of circle vocabulary is your gateway to geometric mastery.

Question What is the definition of a circle's radius? The radius of a circle is the distance from the center of the circle to any point on its circumference. What does the term 'central angle' mean in circle geometry? A central angle is an angle whose vertex is at the center of the circle and whose sides intersect the circle at two points. How is a diameter related to the circle's radius? A diameter is twice the length of the radius; it passes through the circle's center and touches two points on the circumference. What is the meaning of 'circle vocabulary' in geometry? Circle vocabulary includes terms like radius, diameter, circumference, arc, chord, central angle, and sector, which describe different parts and properties of a circle. Why is understanding central angles important in circle geometry? Understanding central angles helps in calculating the measures of arcs, sectors, and in solving problems related to circle segments and their properties.

Related keywords: circle, radius, diameter, circumference, chord, arc, tangent, secant, central

angle, vocabulary

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